

UC BERKELEY  
**NUCLEAR  
ENGINEERING**  
*Thermal Hydraulics  
Laboratory*

# Verification and Validation of a Single-Phase Natural Circulation Loop Model in RELAP5-3D

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# Research Objectives

- **Develop accurate models of the thermal-hydraulics behavior of the Pebble-Bed Fluoride-salt-cooled, High-temperature Reactor (PB-FHR)**
  - **Identify characteristic phenomena in the system**
  - **Identify gaps in existing modeling tools to replicate these phenomena**
  - **Develop the missing validation basis for the thermal-hydraulics models**
- **Use the developed models to enhance the design of the PB-FHR**



# Presentation Outline

1. Introduction of Research Methodology, PB-FHR Concept and Applicability of RELAP5-3D
2. IETs for Natural Circulation Heat Transfer: the Compact Integral Effects Test (CIET) Test Bay
3. Solution and Code Verification for Natural Circulation
4. Code and Model Validation
5. Conclusions and Future Plans

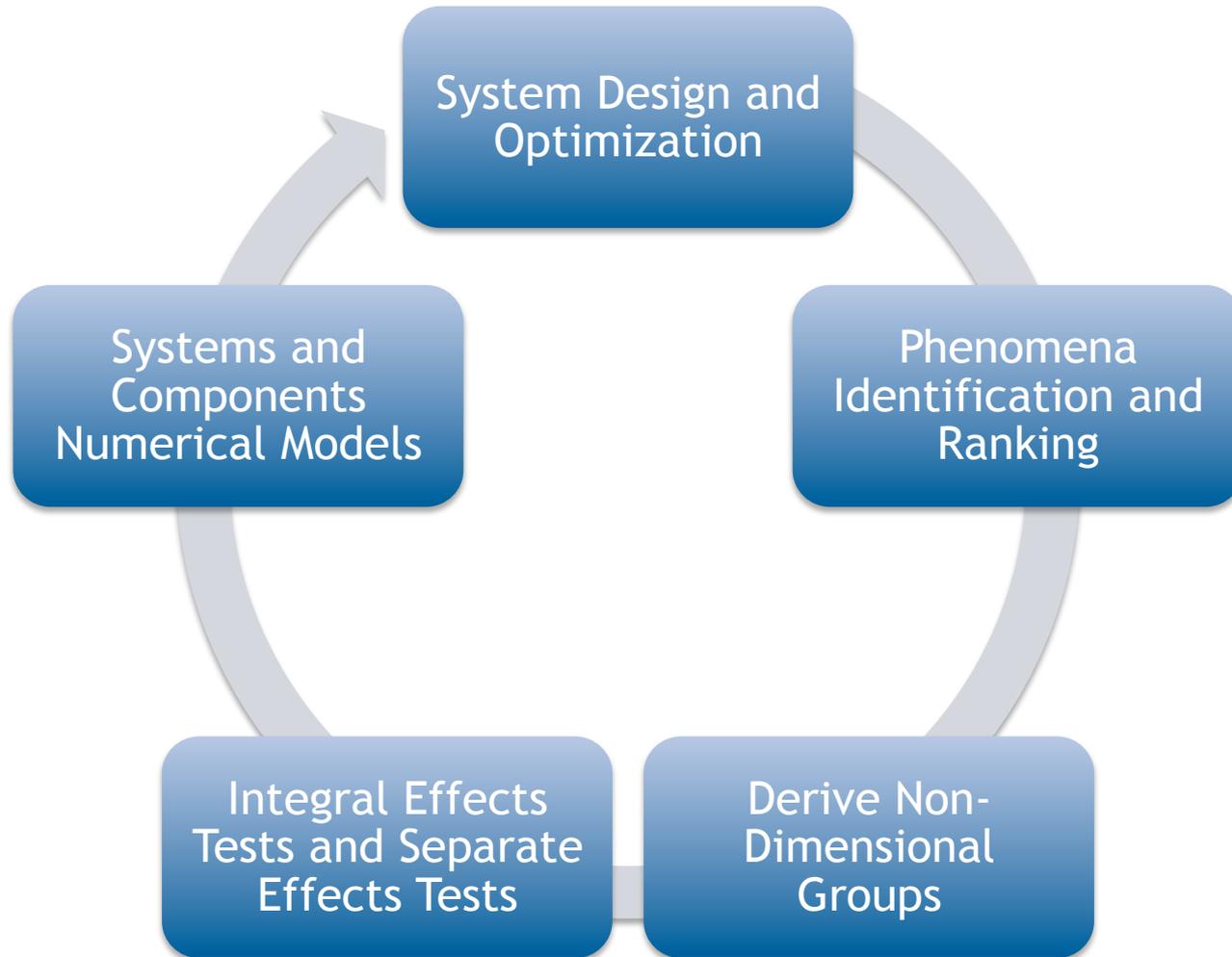


# 1. Introduction of Research Methodology, PB-FHR Concept and Applicability of RELAP5-3D

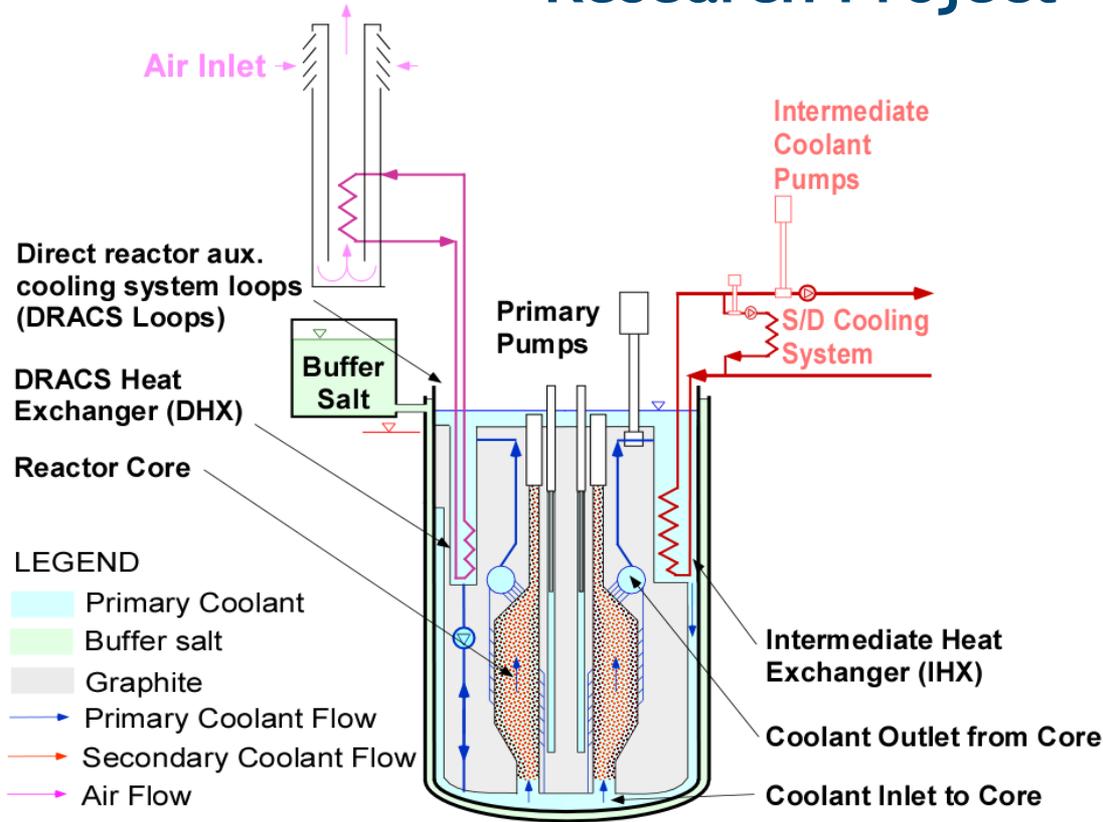


# Research Methodology

- Top-down and bottom-up approach:



# The PB-FHR: a DOE-Funded, 3-Year Long Integrated Research Project



- Liquid salt coolant
- Passive safety mechanisms
- Mobile fuel (pebble compacts)



U.S. Department of Energy



# Applicability of RELAP5-3D

- Modeling and validation gaps for the PB-FHR:

Key PB-FHR phenomena	Existing LWR basis
Liquid salt (high Pr fluid) coolant	Water coolant
Natural circulation decay heat removal	Limited natural circulation decay heat removal
Pebble bed core (flow dynamics & heat transfer)	Fuel pin assemblies
Potential for coolant freezing	Potential for coolant boiling
Significant radiative heat transfer to structural materials at high temperature	-

- IETs and SETs must be developed to characterize key phenomena, and serve as a validation basis for RELAP5-3D (or any other system code) thermal-hydraulics models



## 2. IETs for Natural Circulation Heat Transfer: the Compact Integral Effects Test (CIET) Test Bay



# Scaling Methodology: Natural Circulation

- Prandtl number dictates the selection of the simulant fluid and its average operating temperature for scaled experiments where heat transfer phenomena are important:

$$Pr = \frac{\nu}{\alpha} = \frac{\text{momentum diffusivity}}{\text{thermal diffusivity}}$$

- For buoyancy-driven flow, the Grashof number must also be matched:

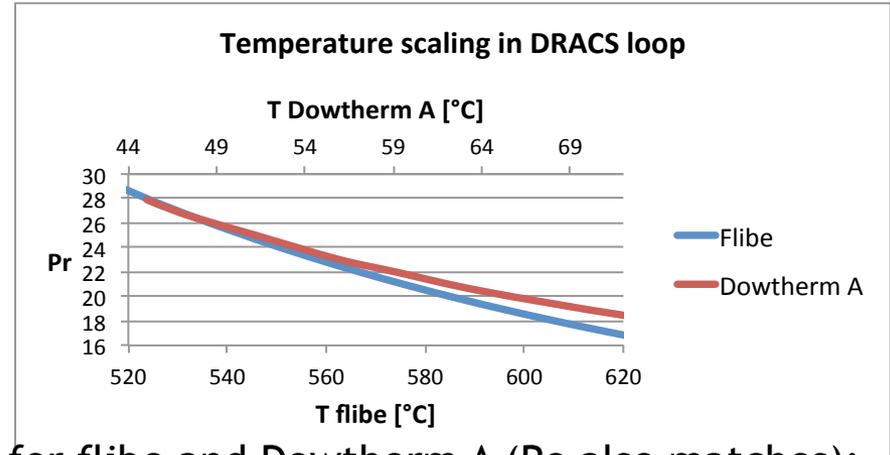
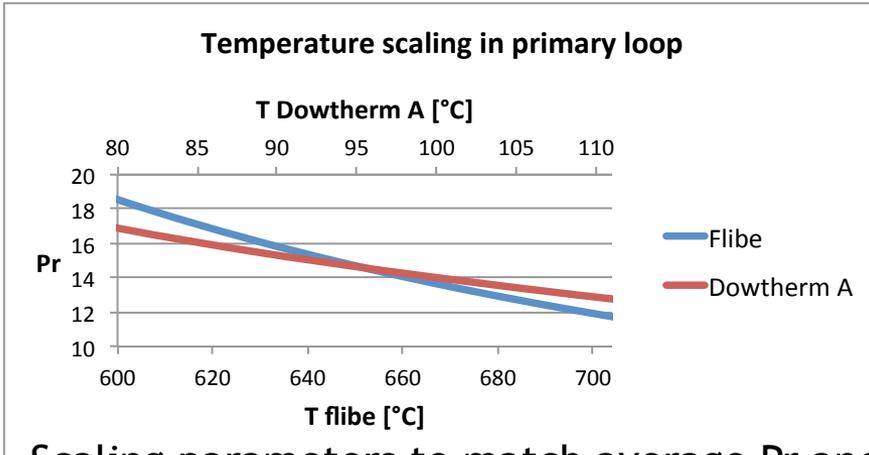
$$Gr = \frac{\beta \Delta T g L^3}{\nu^2} = \beta \Delta T \cdot \frac{gL^3}{\nu^2} = \frac{\text{buoyancy forces}}{\text{viscous forces}}$$

$$(\beta \Delta T)_m = (\beta \Delta T)_p \Leftrightarrow \frac{\beta_m}{\beta_p} = \frac{\Delta T_p}{\Delta T_m}$$

$$\left( \frac{gL^3}{\nu^2} \right)_m = \left( \frac{gL^3}{\nu^2} \right)_p \Leftrightarrow \left( \frac{L_m}{L_p} \right)^{3/2} = \frac{\nu_m}{\nu_p}$$



# Applicability to the PB-FHR: Integral Effects Testing for PB-FHR Transients Using Dowtherm A Simulant Fluid



Scaling parameters to match average Pr and Gr for flibe and Dowtherm A (Re also matches):

		DRACS, normal operation	DRACS, natural circulation	Primary loop
Flibe Temperature [°C]		543	567	652
Dowtherm A Temperature [°C]		51	59	95
Length scale	$L_m/L_p$	0.49	0.48	0.45
Velocity scale	$U_m/U_p$	0.70	0.69	0.67
$\Delta T$ scale	$\Delta T_m/\Delta T_p$	0.31	0.31	0.30
Transient time scale	$\tau_m/\tau_p$	0.70	0.69	0.67
Pumping power	$P_{p,m}/P_{p,p}$			3.1%
Heating power	$P_{q,m}/P_{q,p}$			1.6%



# The CIET Test Bay

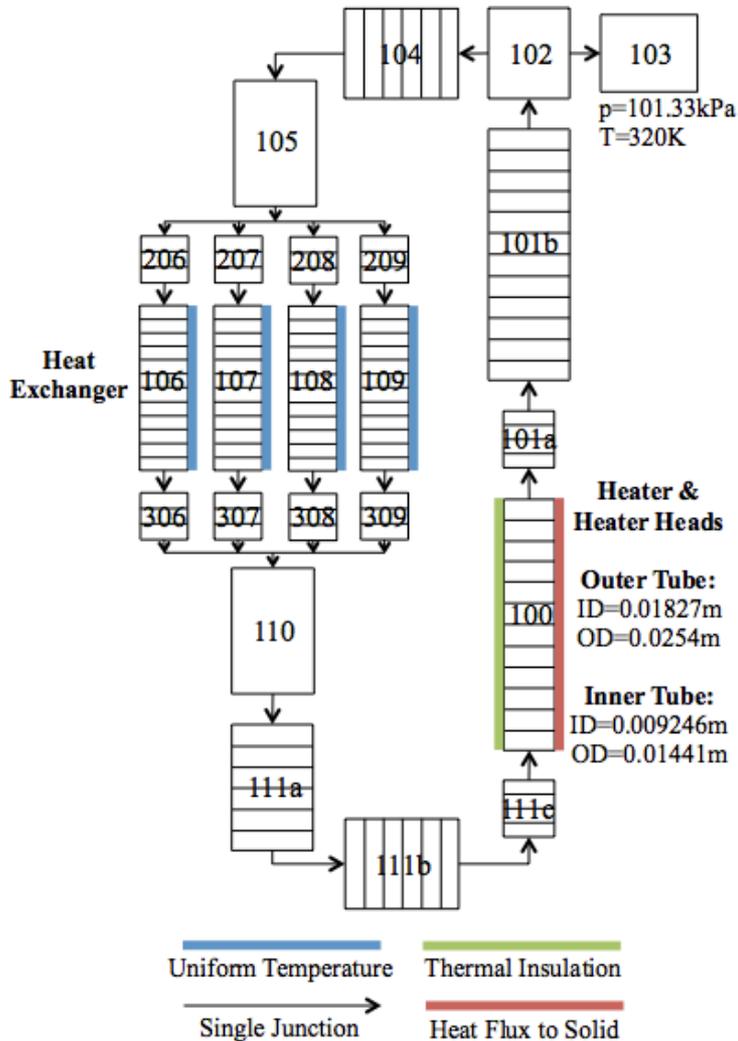
## Single Phase Natural Circulation Loop Using Dowtherm A



- **Research objectives:**
  - Demonstrate natural circulation phenomenology (single loop) and decay heat removal capability
  - Use experimental data to validate numerical models
- **Experimental configuration:**
  - Square loop with vertical heater, heat exchanger and connected piping
  - Annular heater with needle valve to vary friction factor
  - Tube-in-tube water-cooled heat exchanger
  - Instrumentation: Coriolis flowmeter, type-T thermocouples and manometer lines



# RELAP5-3D Model of the CIET Test Bay



- Working fluid: Dowtherm A
- Boundary conditions:
  - Adiabatic on stainless steel inner tube of the annular heater
  - Uniform heat flux to solid on stainless steel outer tube of annular heater
  - Copper piping with 5-cm-thick fiberglass insulation on hot and cold legs
  - 10 °C uniform temperature on outer wall of inner heat exchanger tube (25 °C in RELAP)
  - 20 °C ambient temperature around rest of loop
  - 101.33 kPa pressure at free surface of expansion tank
- More details on hydrodynamic component and heat structure parameters in paper

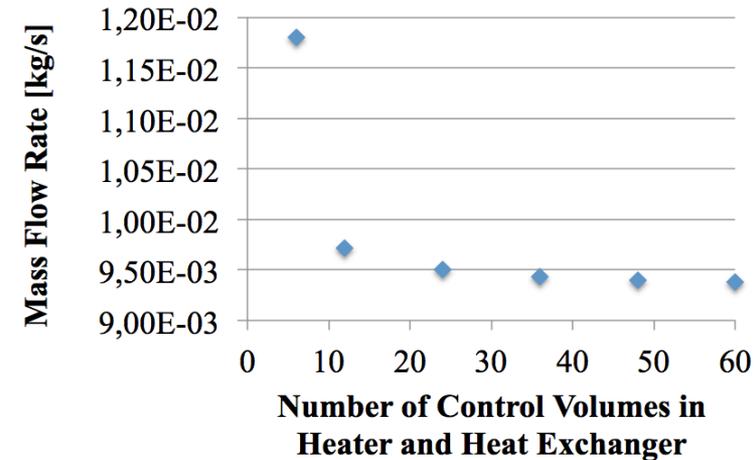


# 3. Solution and Code Verification for Natural Circulation



# Solution Verification: Sensitivity of Natural Circulation Mass Flow Rate to a Range of Input Parameters

Model input parameter	Parameter range	Sensitivity of solution*
Expansion tank temperature [°C]	25 - 180	Not sensitive
Loop initial temperature [°C]	25 - 180	Not sensitive
Loop initial pressure [kPa]	100 - 200	Not sensitive
Loop initial mass flow rate [kg/s]	0.01 - 1	Not sensitive
Form losses	0 - 10	Not sensitive
Wall radial discretization [number of meshes]	2 - 20	Not sensitive
Hot leg and cold leg axial discretization [number of control volumes]	10 - 50	Not sensitive
Heater and heat exchanger axial discretization [number of control volumes]	6 - 60	Sensitive



- Solutions converge for a number of control volumes above 30 for the heater and heat exchanger
- Conservative number of 60 control volumes for the heater and heat exchanger used for subsequent models

\*Not sensitive: solution varies by less than 0.1% for any value of the parameter



# Code Verification: Comparison of RELAP5-3D Solutions to Analytical Solutions

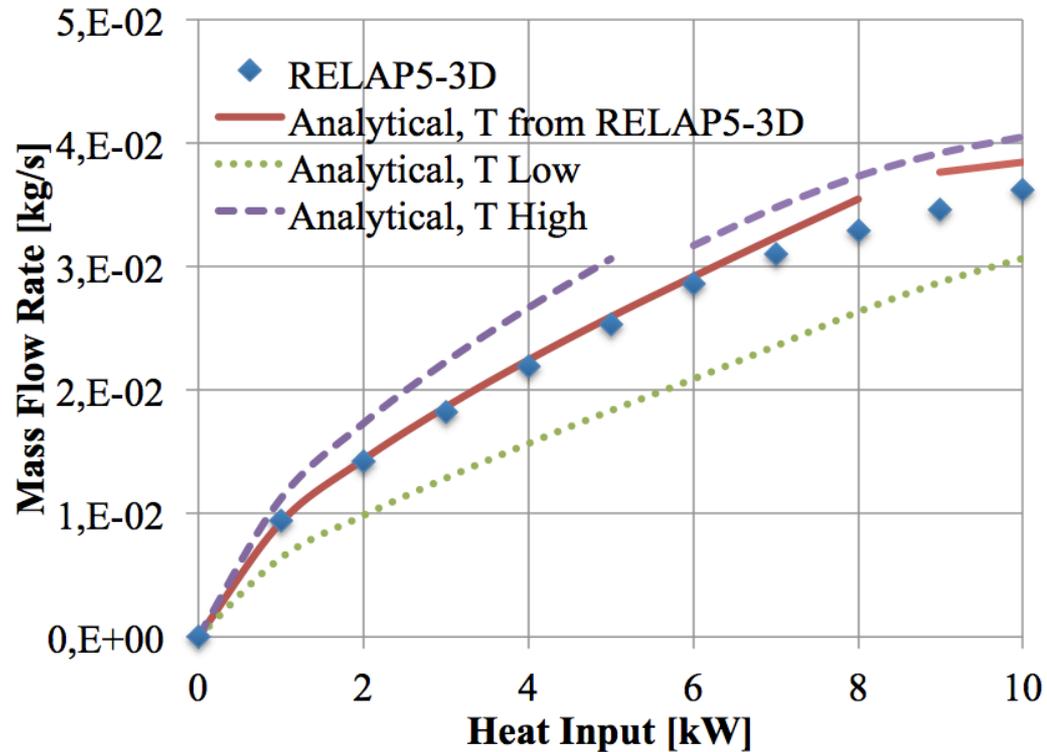
- Analytical solution for natural circulation mass flow rate:

$$\dot{m}^3 = \frac{2\rho_{av}^2 g \beta}{c_{p,av}} \cdot \frac{\Delta z_{NC} Q_h}{F'}$$

$$F' = \sum_{i=1}^N \left( \frac{1}{A_i^2} \cdot \frac{L_i}{D_i} \right) f_i$$

$$f = \frac{64}{Re} \text{ for } 0 < Re < 2000$$

$$f = \frac{Re^{1/3}}{381} \text{ for } 2000 < Re < 4000$$

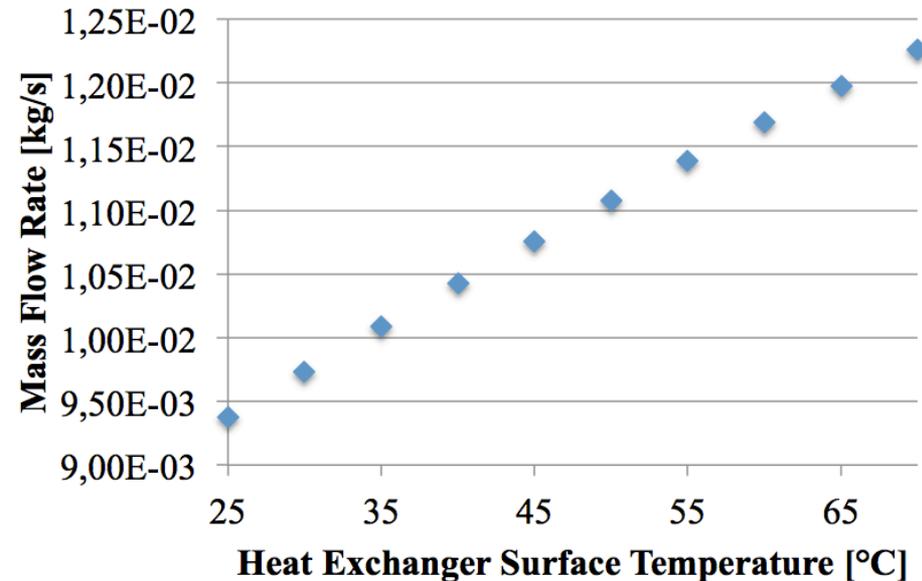


- Potential explanations to discrepancy in high end of laminar flow region and transition region:
  - Use of average fluid thermophysical properties for analytical solution
  - Use of different correlations for transition regime



# Code Verification: Sensitivity to Heat Exchanger Wall Temperature

- Higher heat exchanger wall temperature leads to higher fluid average temperature
  - Leads to higher natural circulation mass flow rate
  - Important effect to take into account for future studies



- Conclusions of verification effort:

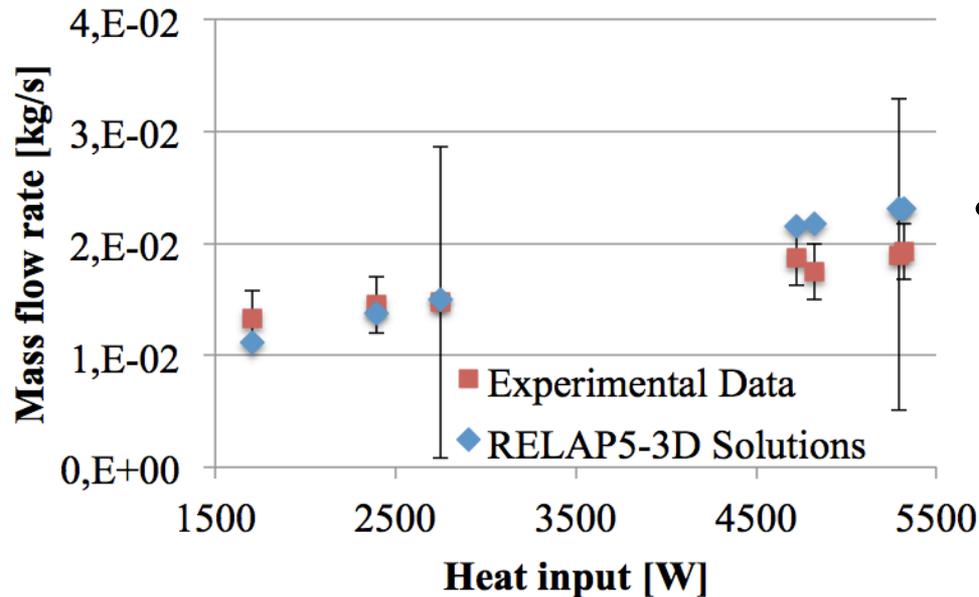
- Agreement between RELAP5-3D results and analytical solutions is within 5% in the laminar regime and within 8% in the transition regime
- RELAP5-3D solutions lie between the low and high values of analytical solutions
- Model has been developed to a point where it is only sensitive to relevant physical parameters for our application



## 4. Code and Model Validation



# Direct Comparison of RELAP5-3D Solutions to Experimental Data



- **Low heat inputs:**
  - Agreement between RELAP5-3D results and experimental data within 10%
  - RELAP5-3D solutions inside uncertainty bands of the data
- **Higher heat inputs:**
  - Major trend of the data correctly predicted by RELAP5-3D
  - Agreement between RELAP5-3D results and experimental data within 20%
  - Calculation results outside but near uncertainty bands of the data
- **Observed overprediction of mass flow rate for a given heat input not conservative for this application**

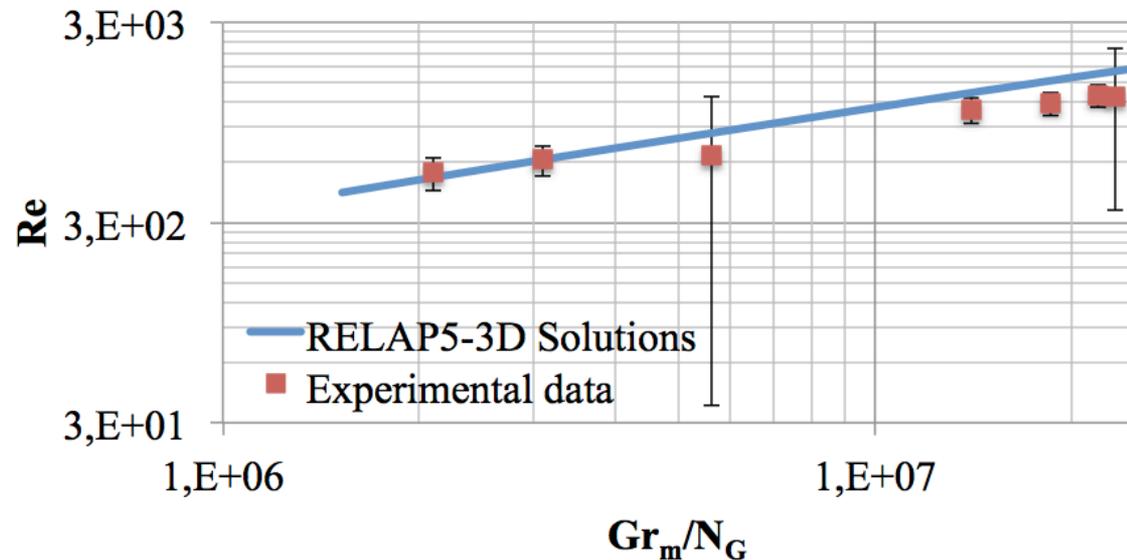


# Non-Dimensional Comparison of RELAP5-3D Solutions to Experimental Data

$$Re = C \left[ \frac{(Gr_m)_{\Delta z_{NC}}}{N_G} \right]^r \quad Re = \frac{D_r \dot{m}}{A_r \mu_{av}}$$

$$(Gr_m)_{\Delta z_{NC}} = \frac{D_r^3 \rho_{av}^2 \beta_{av} g Q_h \Delta z_{NC}}{A_r \mu_{av}^3 c_{p,av}}$$

$$N_G = \frac{L_t}{D_r} \sum_{i=1}^N \left( \frac{l_{eff}}{d^{1+b} a^{2-b}} \right)_i$$



- Same conclusions
- Literature suggests using an alternate friction coefficient in the transition regime, based on experimental data:

$$f = \frac{1.2063}{Re^{0.416}} \text{ for } 898 < Re < 3196$$

- This could be the main explanation to observed discrepancies between RELAP5-3D calculations and CIET Test Bay data, but no way to implement alternate laminar friction factor in RELAP5-3D



## 5. Conclusions and Future Plans



# Conclusions and Future Plans

- **Conclusions:**

- First step towards predicting performance of passive decay heat removal system of FHRs
- Excellent agreement with analytical solutions and experimental data in laminar regime
- Reasonable agreement with analytical solutions and experimental data in transition regime
- Overprediction of natural circulation mass flow rates in transition regime, probably due to a discrepancy between friction factor correlations as implemented in the code and what they actually are in the experimental loop

- **Future work:**

- Collect additional data with better accuracy
- Use current data as calibration data for future models
- Find way to implement alternate friction factor correlations in laminar and transition regime
- Code-to-code comparisons with other system codes (Flownex)



Questions? Suggestions?

